

Experimental and numerical assessment of reinforced concrete joints subjected to shear loading

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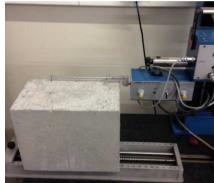
1. Experimental assessment

Monotonic and cyclic push-off tests with LVDT's measuring slip and crack opening.

Specimens cast in 3 stages in order to create a concrete joint.

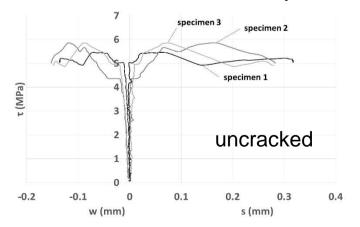
Interface roughness measured with a mechanical contour plot instrument.

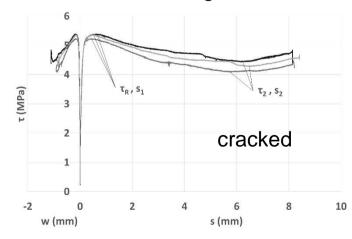




	$ au_{\min}/ au_{\mathrm{R}}(\%)$	$ au_{ m max}/ au_{ m R}(\%)$	quantity
monotonic	-	-	×3=3
cyclic	5	80	× 3 = 12
	25	80	
	5	70	
	5	60	

Results for interfaces subjected to monotonic shear loading:

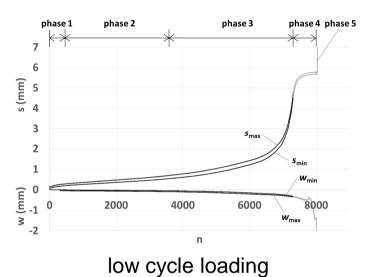


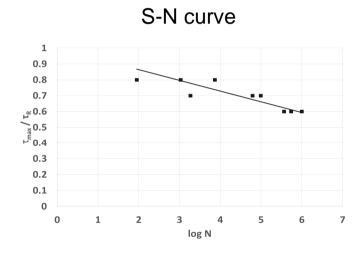


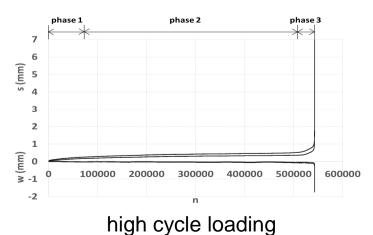
 $R_{\rm a} = 0.352 \text{ mm}$

1. Experimental assessment

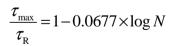
Results for cracked interfaces subjected to cyclic shear loading:





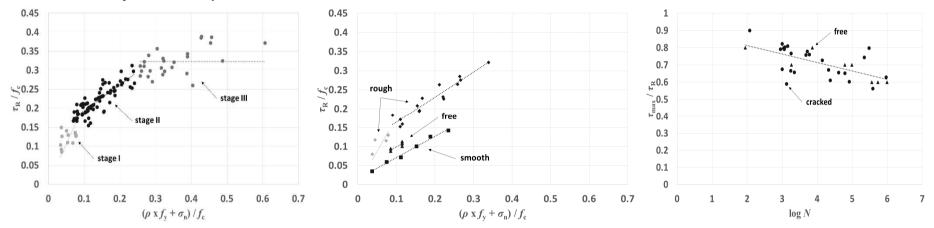






2. Design recommendations

Analysis of experimental test data available in literature:

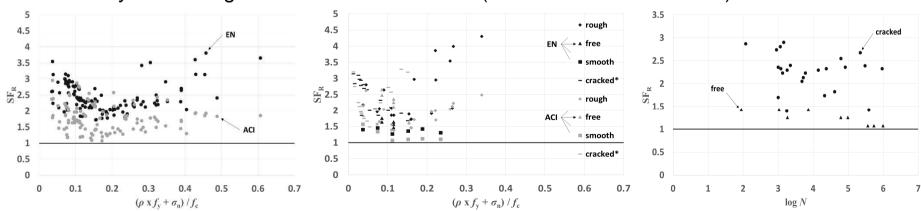


monolithic concrete cracked surfaces

concrete joint surfaces

cyclic tests

Analysis of design code recommendations (EN 1992 and ACI 318-05):

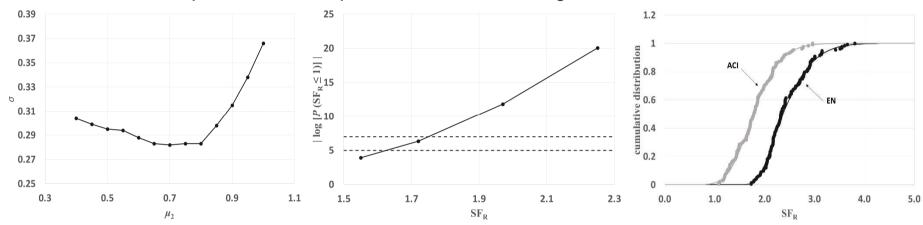


 $\tau_{\text{Rd,EN}} = c \times f_{\text{ctd}} + \rho \times f_{\text{yd}} \times (\mu \times \sin \alpha + \cos \alpha) + \mu \times \sigma_{\text{n}} \le 0.5 \times \nu \times f_{\text{cd}}$

 $\tau_{\text{Rd,ACI}} = \rho \times f_{\text{y}} \times (\mu \times \sin \alpha + \cos \alpha) \le 0.2 \times f_{\text{c}}$ and 5.5 MPa PhD 2016 | 5

2. Design recommendations

Criteria and procedures adopted to reach new design recommendations:



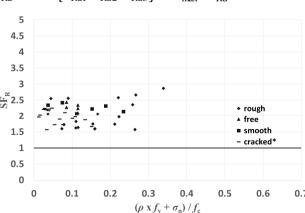
minimize variability in SFR values

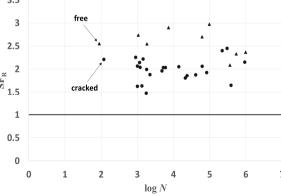
P (SFR \leq 1) within the target range

statistical hypothesis testing

New design proposal:

 $\tau_{\text{Rd}} = \min\{\tau_{\text{Rd1}}, \tau_{\text{Rd2}}, \tau_{\text{Rd3}}\}$ $\tau_{\text{max}} / \tau_{\text{Rd}} = 0.80 - 0.045 \times \log N$





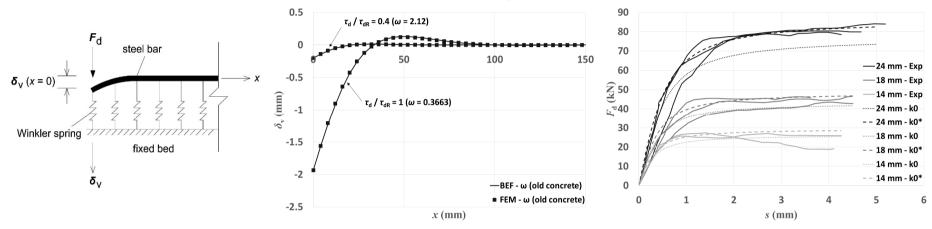
$$\tau_{\text{Rd1}} = \mu_{\text{l}} \times (\rho \times f_{\text{yd}} + \sigma_{\text{n}})$$

$$\tau_{\text{Rd2}} = c \times f_{\text{cd}} + \mu_2 \times (\rho \times f_{\text{yd}} + \sigma_{\text{n}})$$

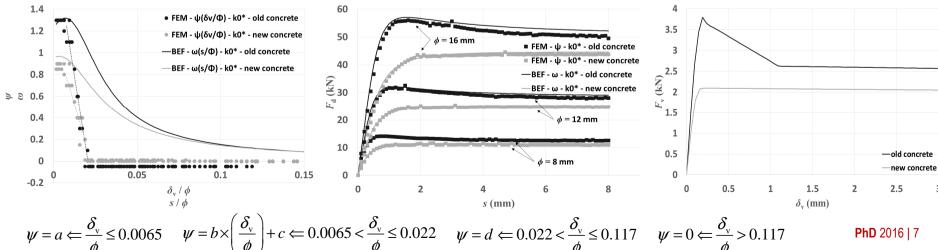
$$\tau_{\text{Rd3}} = d \times v \times f_{\text{cd}}$$

3. Numerical assessment

Dowel action non-linear finite element modeling:

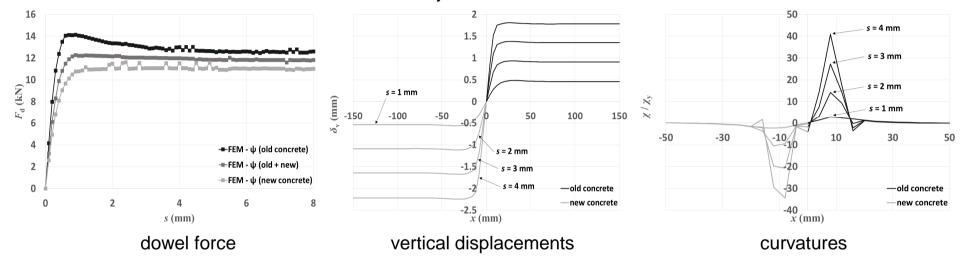


spring elements for concrete class III beam elements for reinforcement Brenna et al. model for dowel action Expressions were determined for the non-linear behavior of the Winkler springs:

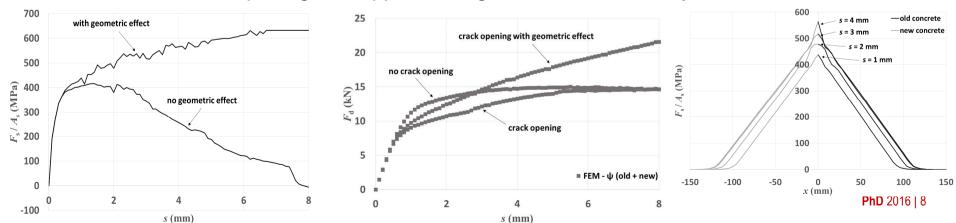


3. Numerical assessment

Dowel action behavior in a concrete joint:

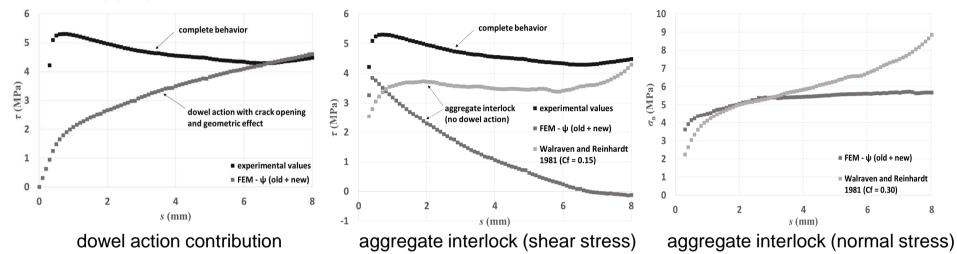


Tangential springs were added in order to simulate steel/concrete bond behavior. Interface crack opening was applied and geometric non-linearity effect activated.

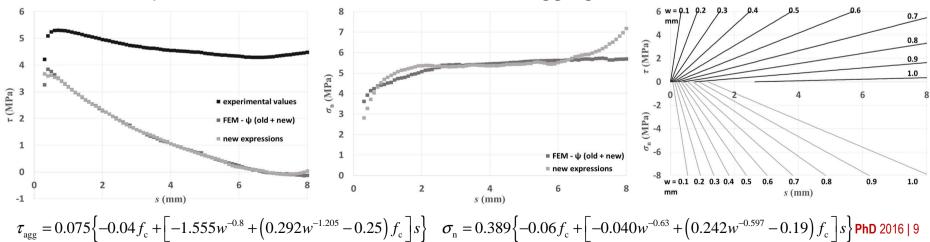


3. Numerical assessment

Aggregate interlock contribution and comparison with Walraven (1981) expressions:



New expressions were determined to calculate aggregate interlock contribution:



$$\tau_{\rm agg} = 0.075 \Big\{ -0.04 f_{\rm c} + \Big[-1.555 w^{-0.8} + \Big(0.292 w^{-1.205} - 0.25 \Big) f_{\rm c} \Big] s \Big\} \quad \sigma_{\rm n} = 0.389 \Big\{ -0.06 f_{\rm c} + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \right] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] \Big] s \Big\} \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] \Big] \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big(0.242 w^{-0.597} - 0.19 \Big) f_{\rm c} \Big] \Big] \Big] \Big] \\ {\rm PhD} \ 2016 \left[9 + \Big[-0.040 w^{-0.63} + \Big[-0.040 w^{-0.63} + \Big[-0.040 w^{-0.63} + \Big[-0.040 w^{-0.63} + \Big[-0.040 w$$



4. Conclusions

- 1. Interface response is very different depending on the applied cyclic shear load amplitude due to reinforcement behavior.
- 2. An experimental S-N curve was obtained for concrete joints subjected to cyclic shear loading.
- Code provisions for the design of concrete interfaces can be significantly improved in terms of safety and reliability.
- 4. New design expressions were derived for concrete interfaces subjected to monotonic and cyclic shear loading.
- Finite element modeling allowed to determine new expressions to simulate the non-linear behavior of reinforcement concrete substrate through Winkler springs.
- 6. Geometric non-linearity effect has a main influence in interface dowel action contribution.
- 7. New expressions were derived to calculate aggregate interlock contribution to shear transfer in a concrete joint.