



# Advanced Methodology for Estimation of Economic Seismic Losses in RC Buildings

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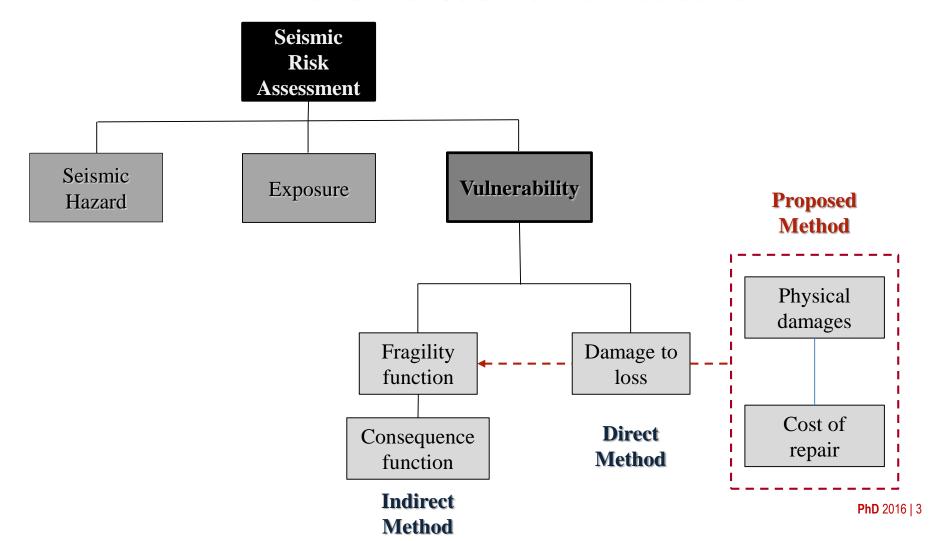
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# Outline

- Motivation
- Objective
- Numerical Modelling
- Calibration Process
- Results
- Conclutions

# Motivation

#### Framework of Seismic Risk Assessment



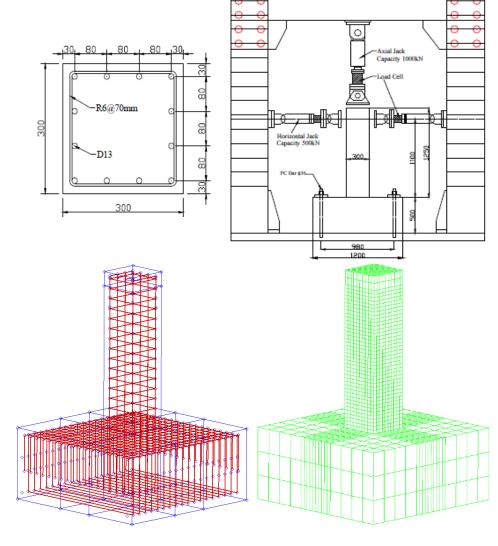
# Objectives

- Forming systematic calibration processes
- Defining a set of damage limit states
- Developing an analytical damage-to-loss methodology
- Providing objective seismic vulnerability assessment
- Establishing a database for building inventory

# Numerical Modelling

#### 1st Experimental Test

- Performed by Shima (2005)\* (V1, V2, V3 &V4)
- Mesh Sensitivity
- Pushover Analysis
- Compression Fracture Energy
- Geometric Nonlinearity
- Bond-Slip Action



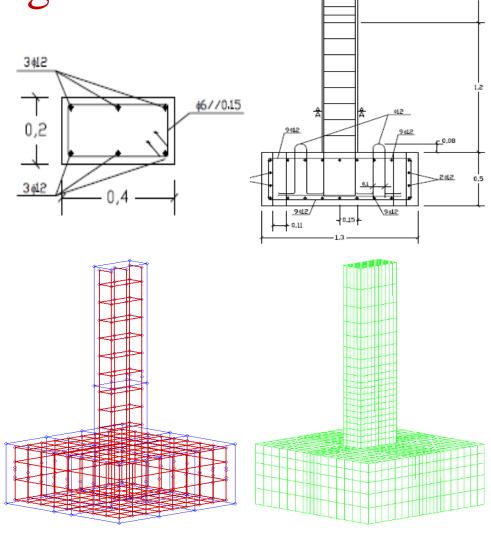
Denponpang, T. & Shima, H., 2005, "Effect of axial load on ductility of reinforced concrete columns", 30th conference on our world in concrete & structures, Singapore



# Numerical Modelling

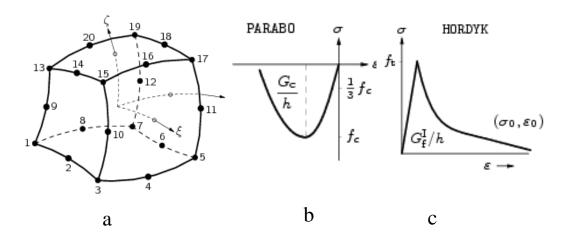
## **2nd Experimental Test**

- Performed at FEUP,Rodrigues (2012)\*
- Pushover Analysis
- Cyclic Analysis
- GeometricNonlinearity
- Bond-Slip Action



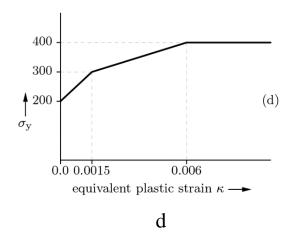
# Constitutive Model for Concrete

- Brick elemets with 27 Gauss points are selected (a)
- Rotating smeared crack model is adopted
- Nonlinear material properties are used (b&c)



# Constitutive Model for Steel

- Von Mises equivalent plastic strain parameters are used (d)
- Maekawa buckling model is adapted for the bars under compression



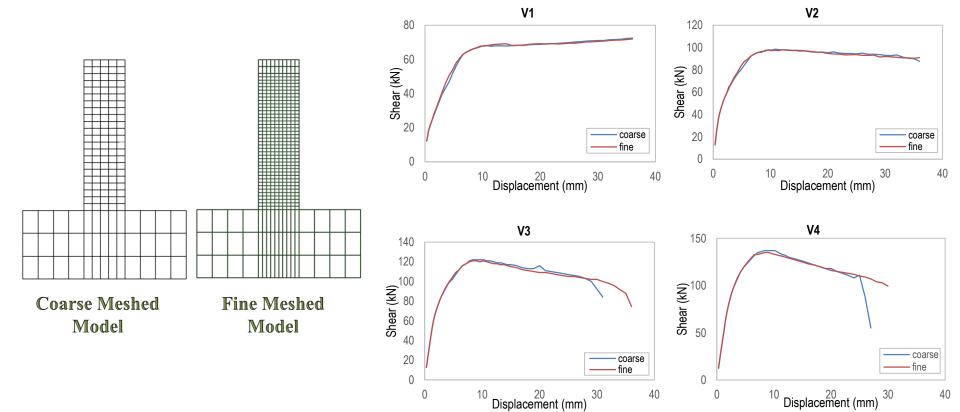
\*Diana 9.6 User Manual

# **Calibration Process**

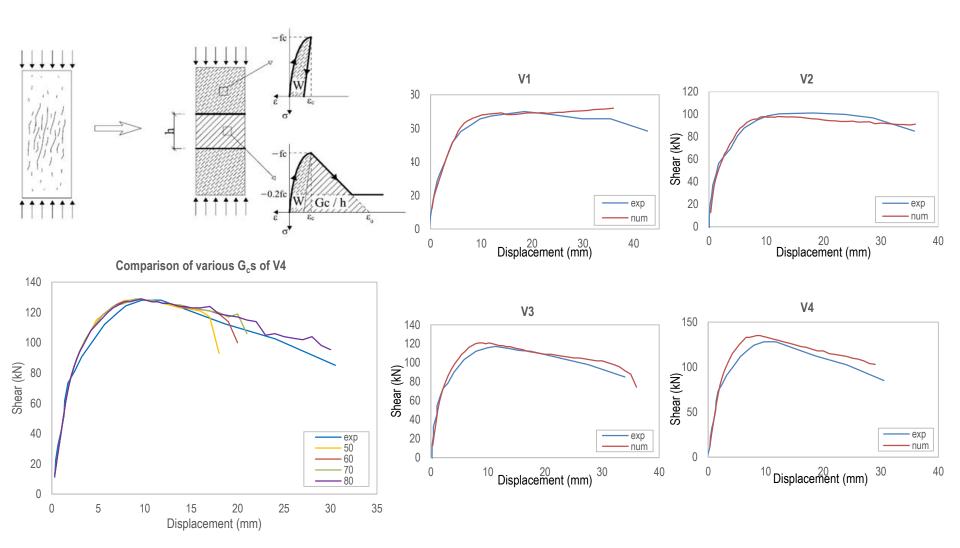
Calibration steps	Investigated parameters and values		
	Fine mesh element size	$3x3x2.5 \text{ cm}^3$	
Mesh sensitivity	Coarse mesh element size	6x6x5 cm <sup>3</sup>	
Compression fracture	$G_c = \frac{h \times f_c' \times \varepsilon_u}{2}$ 50,60,70,80 kN		
Compatrio marling a ritro	2		
Geometric nonlinearity	Including the P-∆ effect		
	Confined-good bonding	The parameters are obtained from CEB-FIB 1993 and clear rib	
Bon-slip action	Confined-others		
	Unconfined-good		
	bonding	spacing is assumed 20	
	Unconfined-others	mm	

# Results

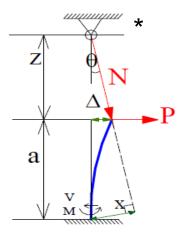
#### **Mesh Sensitivity**



## **Compression Fracture Energy**



#### **Geometric Nonlinearity**



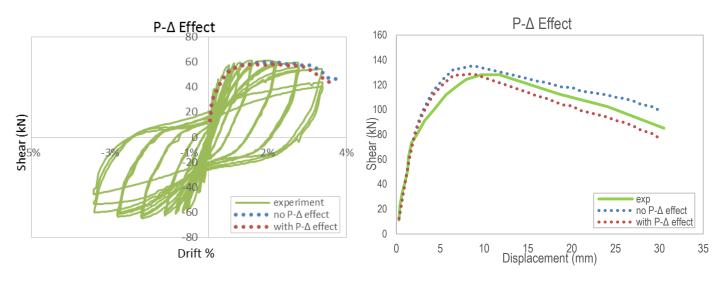
$$V = P + N \times \frac{x}{a}$$

$$x = (z + a) \times \sin \theta$$

$$\theta = \tan^{-1} \left( \frac{\Delta}{Z} \right)$$

#### **Example of Rodrigues**

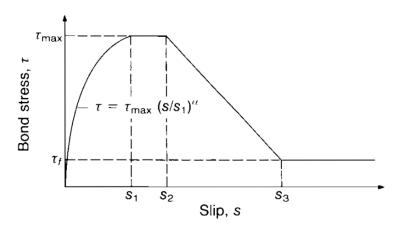
#### Example of Shima, V4



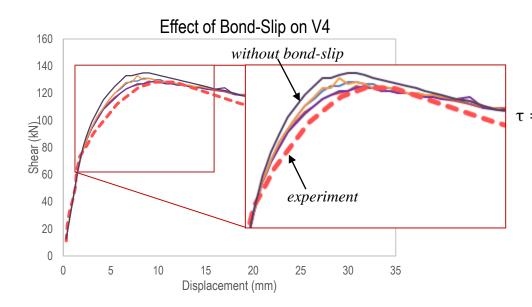
<sup>\*</sup> Denponpang, T. & Shima, H., 2005, "Effect of axial load on ductility of reinforced concrete columns", 30th conference on our world in concrete & structures, Singapore

#### **Bond-Slip Action**

	Unconfined		Confined	
	good bond	others	good bond	Others
s1	0.6	0.6	1.0	1.0
s2	0.6	0.6	3.0	3.0
s3	1	2.5	clear rib spacing	
α	0.4	0.4	0.4	0.4
$ au_{ ext{max}}$	2.0√fck	1.0√fck	2.5√fck	1.25√fck
$ au_{\mathbf{f}}$	$0.15  \tau_{max}$	$0.15  \tau_{max}$	$0.40 \ \tau_{max}$	$0.40~\tau_{max}$



("CEB-FIB model code for concrete structures," Thomos Telford, Lausanne, 1993)



$$\tau = \tau_{max} \left(\frac{s}{s_1}\right)^a, for \qquad 0 \le s \le s_1$$

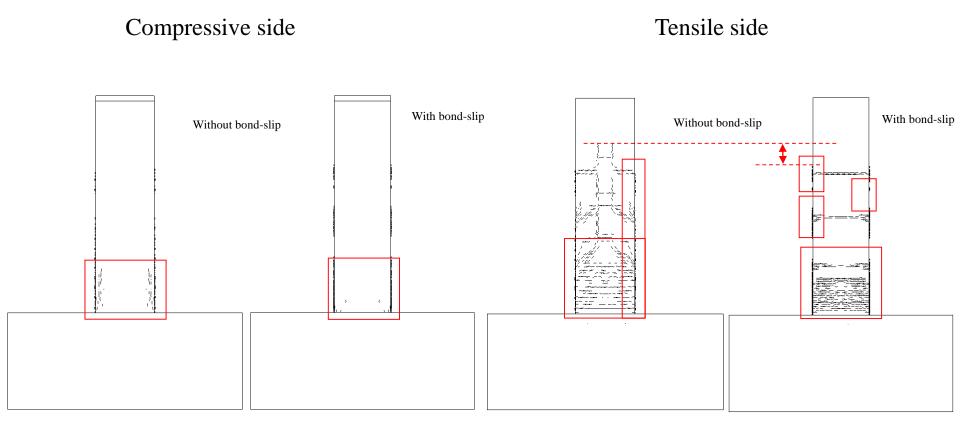
$$\tau = \tau_{max}, for \qquad s_1 < s \le s_2$$

$$\tau = \tau_{max} - \left(\tau_{max} - \tau_f\right) \times \left(\frac{s - s_2}{s_3 - s_2}\right), for \qquad s_2 < s \le s_3$$

$$\tau = \tau_f, for \qquad s_3 < s$$

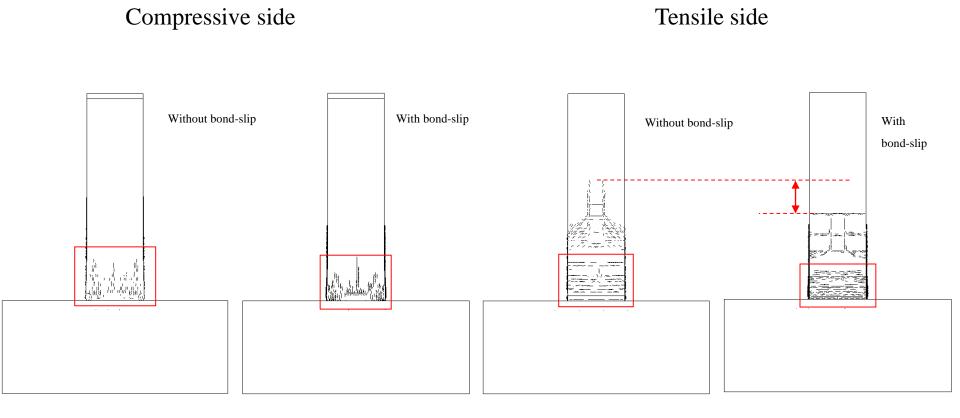
("CEB, "RC elements under cyclic loading," Thomas Telford, London , 1996)

### **Effects of Bond-Slip on Crack Pattern**



V1-no axial load

#### **Effects of Bond-Slip on Crack Pattern**



V4- 90% axial load level of Nb

# **Physical Damages**

<b>Damage States</b>	Visible damage (for columns)		
		Hairline cracks w<0.1 mm	
Slight	(503)	Cracks 0.1 mm <w<0.8 mm<="" td=""></w<0.8>	
Moderate		Crushing of concrete in the joints + Light Spalling of concrete	
	The same	Spalling of concrete	
Severe	A LAMB	Buckling of bars	
	11 A	Fracture of bars	
Collapse		Element completely out of its original position	



# **Conclusions**

- There is a good agreement between experimental and numerical analyses in terms of global and local demands,
- The FE models could be considered insensitive to mesh size. Fine meshing is however used due to stability considerations,
- Compression fracture energy affects the ductility along backbone curve,
- Geometric nonlinearity plays a role on strength capacity and its influence increases with the lateral displacement,
- Bond-slip effect greatly influences the crack pattern even though its influence cannot be observed in global sense significantly.